

# On the retrieval of total surface current using dual-polarized along-track interferometry

*Paco López-Dekker (TU Delft), Bertrand Chapron (Ifremer), Fabrice Collard (OceanDataLab), and Pau Prats Iraola (DLR)*

*F.LopezDekker@tudelft.nl*

# General context

- Scientific need to directly measure (Total) Surface Currents (TSCs).
- AT/Doppler measurements directly sensitive, but

$$v_{\text{Doppler}} = v_{\text{Wave-Bias}} + v_{\text{TSC}}$$

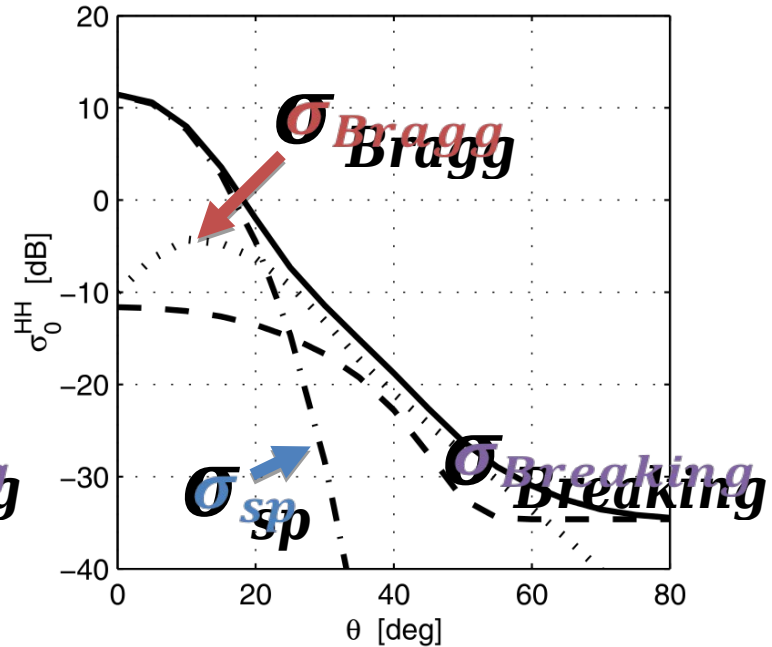
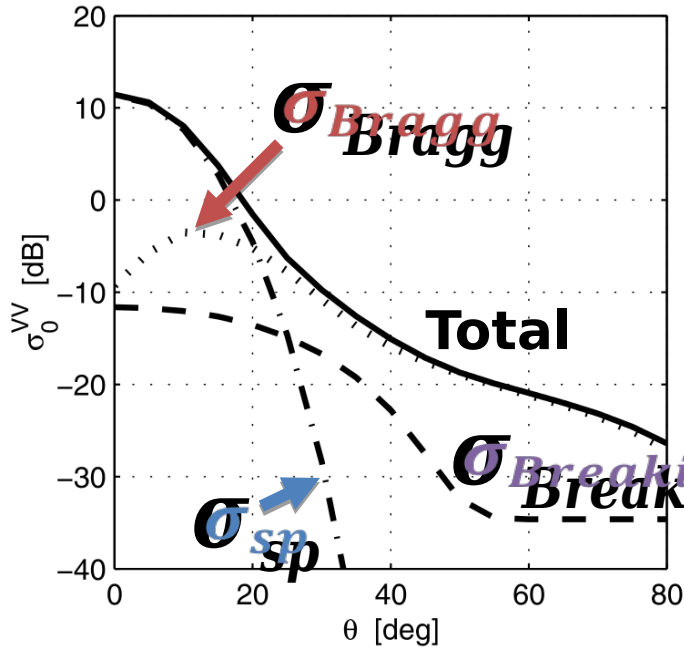
- Strategies to remove wave-bias:
  - Don't even try, this just doesn't work
  - Estimate surface wind from  $\sigma_0$ , use models to predict bias
  - Estimate wave-spectrum from image, use it to predict bias
  - Or...

*Dual-Polarized data can be the key to eliminate the wave-bias from ATI or DCA Doppler velocity measurements*

# A bit of theoretical background

Non-polarized  
 $\sigma_s$

$$\sigma_{0,PP} = \sigma_{\text{Bragg},PP} + \sigma_{sp} + \sigma_{\text{Breaking}}$$



# A bit of theoretical background

- $\sigma_{0,PP} = \sigma_{Bragg,PP} + \sigma_s$

For Doppler velocity:  
For Doppler velocity:

Things to play with: 
$$\bar{v}_{D,PP} = \frac{\sigma_{Bragg,PP} \cdot v_{Bragg,PP} + \sigma_s \cdot v_s}{\sigma_{Bragg,PP} + \sigma_s} + v_{D,TSC}$$

- Polarization ratio  
Things to play with:

- Polarization ratio
- $v_{D,HH} - v_{D,VV}$

# DATA

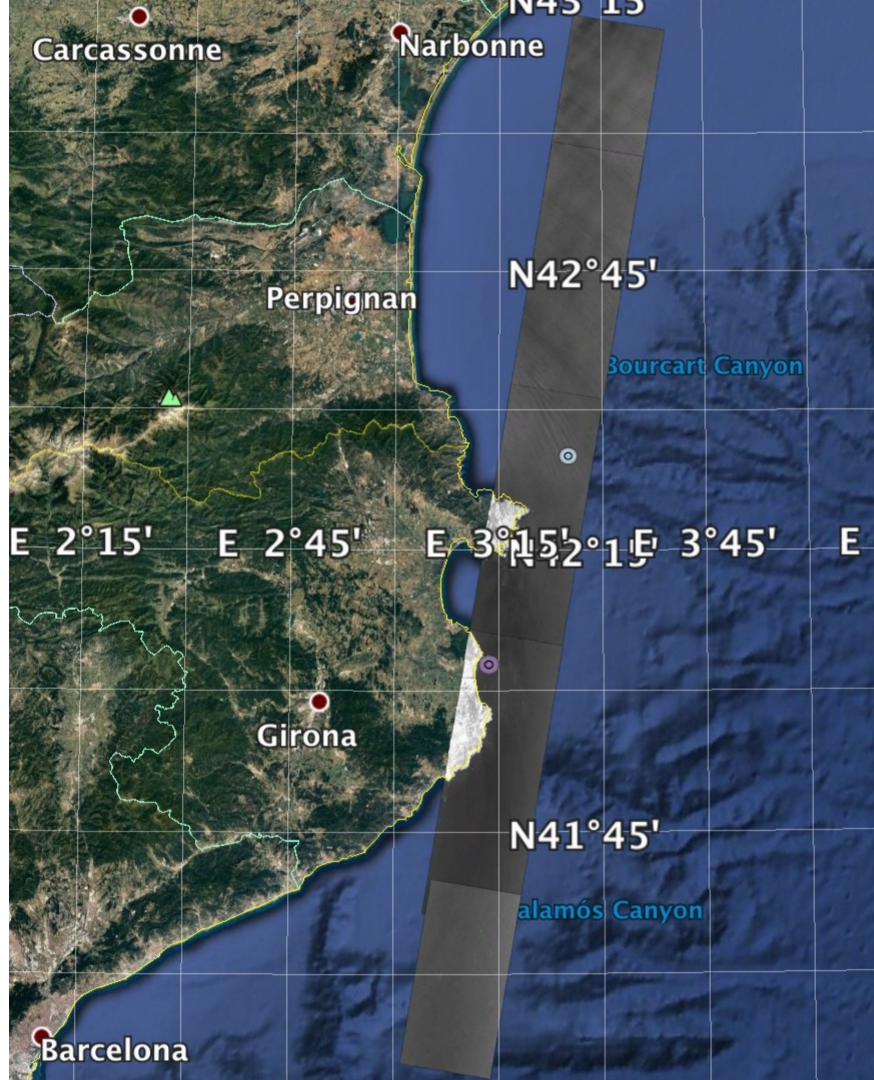
# Data

- Dual pop (V/M, H/H) Tandem Max
- Data from ocean-ATI mission phase
- Deriving small cross-track missions.
- Near optimal ATI baseline ( $\sim 2000\lambda$ ) phase
- Very small cross-track

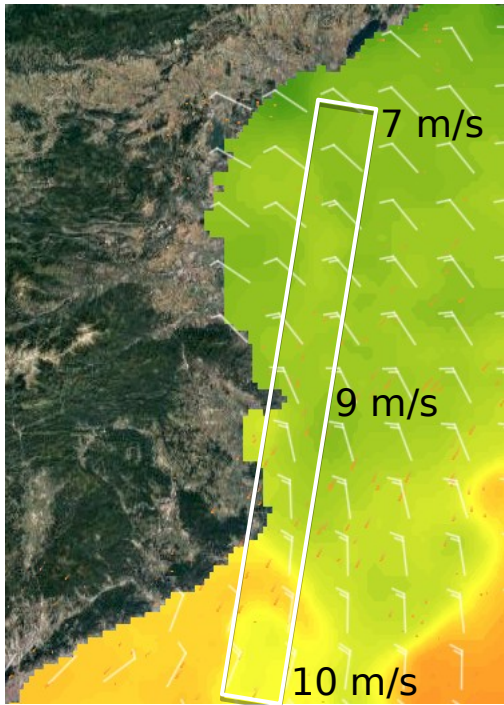
baselines

- Near optimal ATI baseline ( $\circ$ )

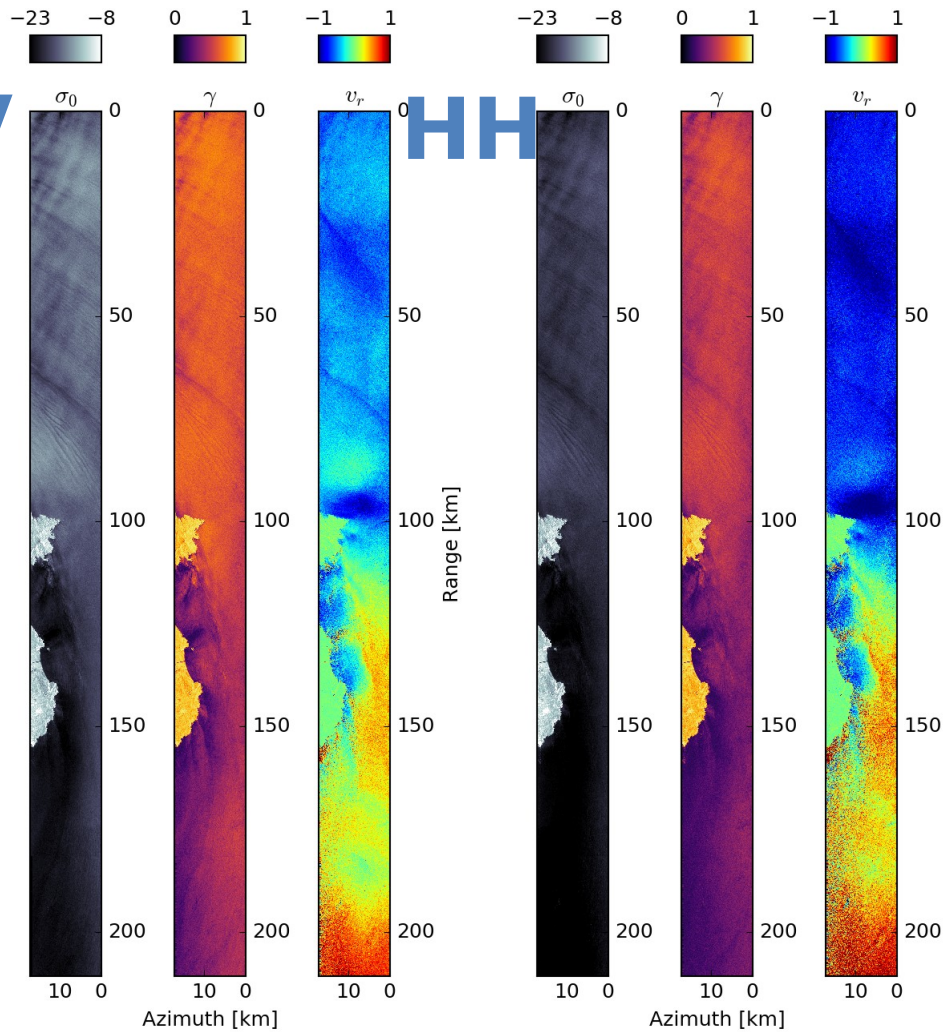
Date	Mean $\tau_{ATI}$ [ms]	Incident angle [deg]	Incident angle [deg]
2014/08/30	4.6	41	
2014/09/04	2.6	26	
2014/09/10	3.9	41	
2014/09/15	3.3	26	
2014/08/30	4.6	41	
2014/09/04	2.6	26	
2014/09/10	3.9	41	
2014/09/15	3.3	26	







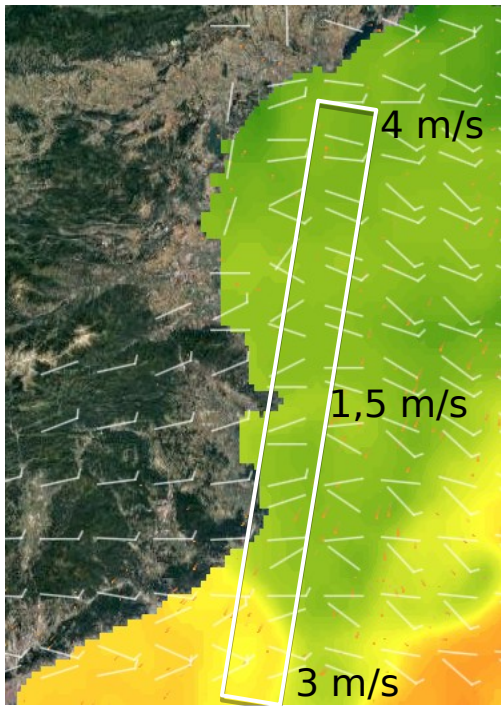
VV



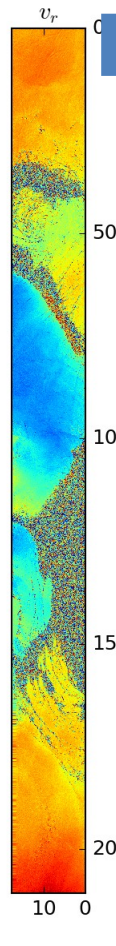
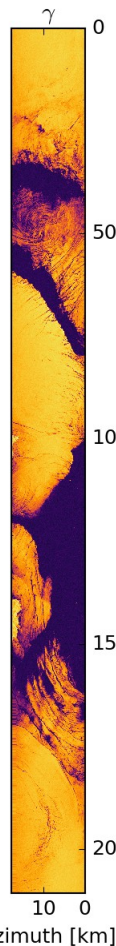
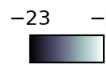


4<sup>th</sup> September

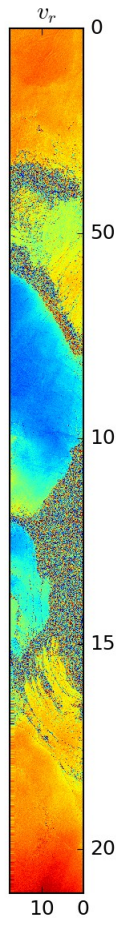
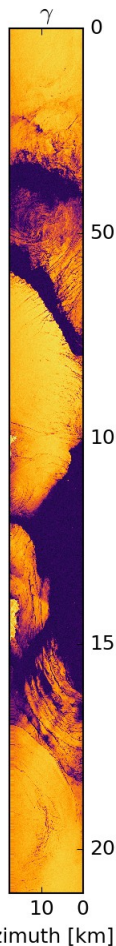
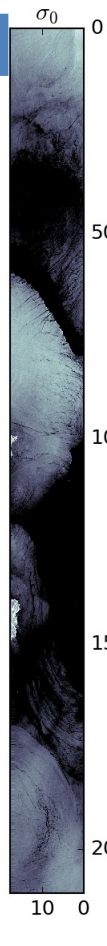
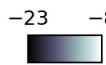
$\theta_i = 26^\circ$



VV

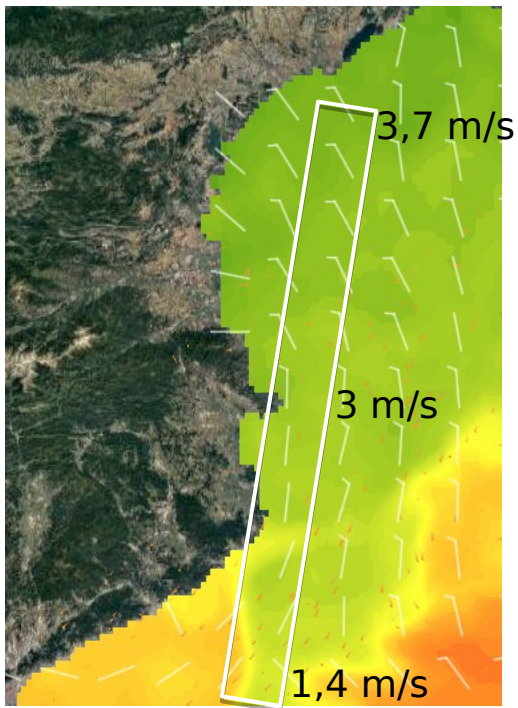


HH

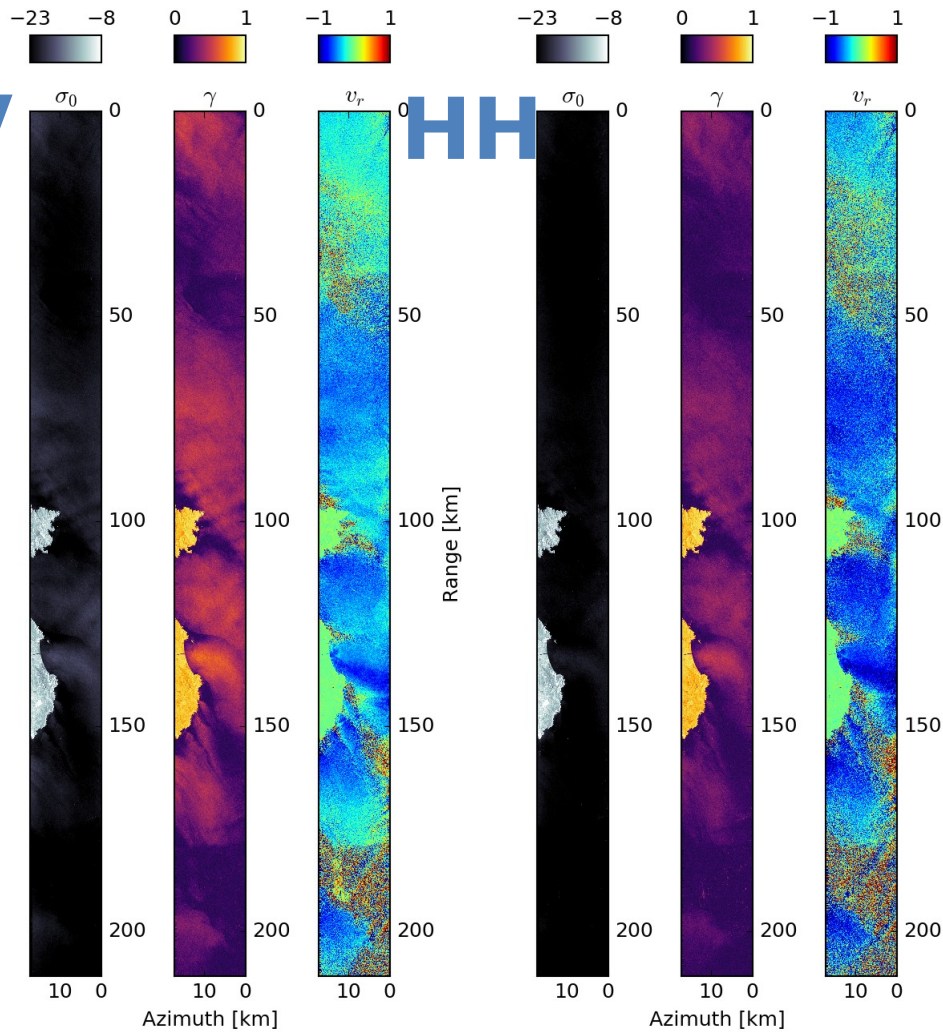


10<sup>th</sup> September

$\theta_i = 41^\circ$



VV

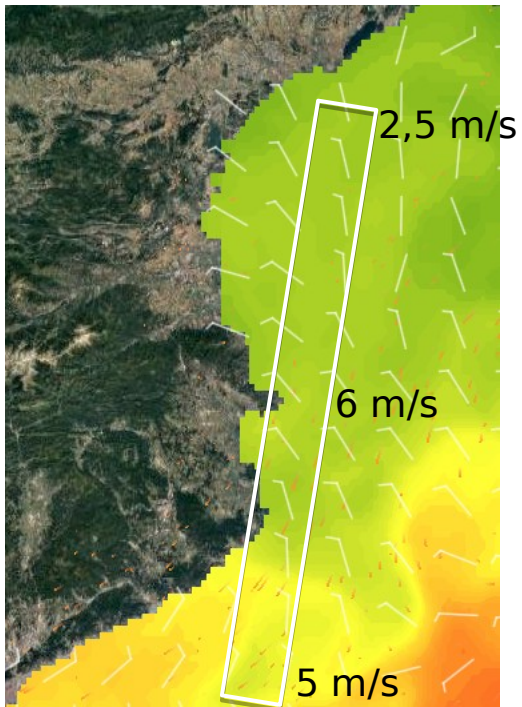


HH

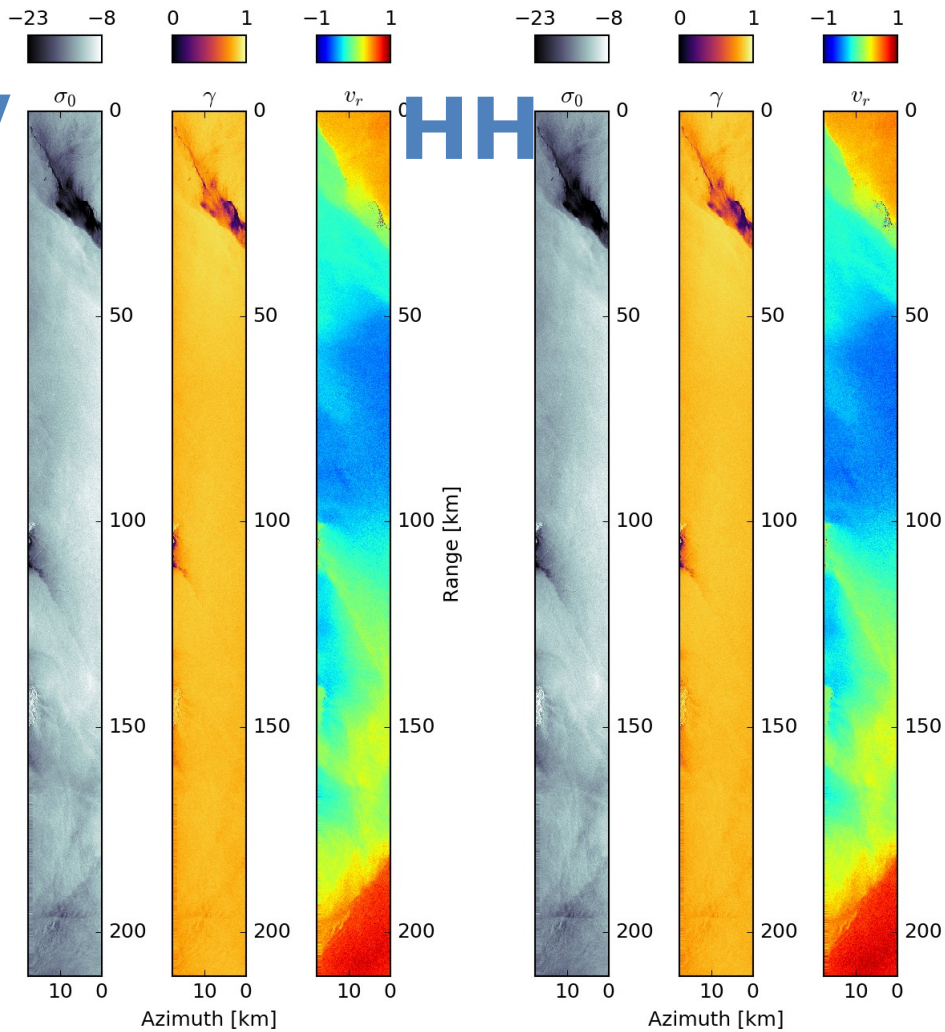


15th September

$\theta_i = 26^\circ$



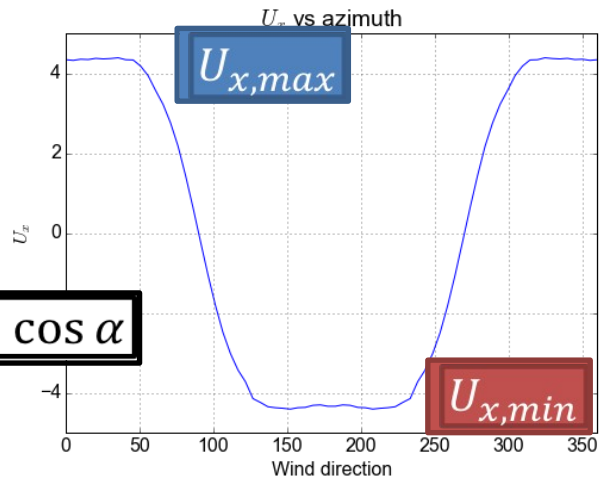
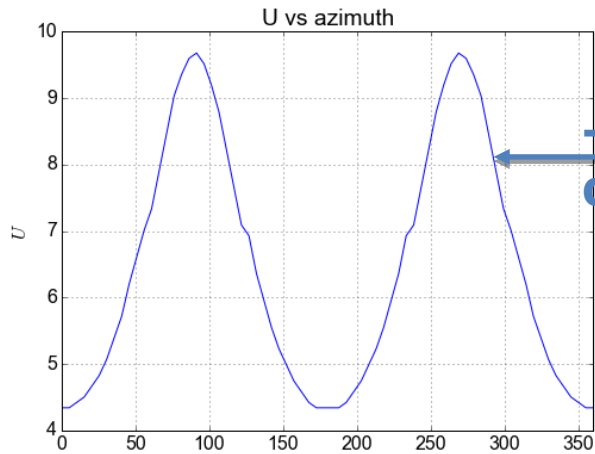
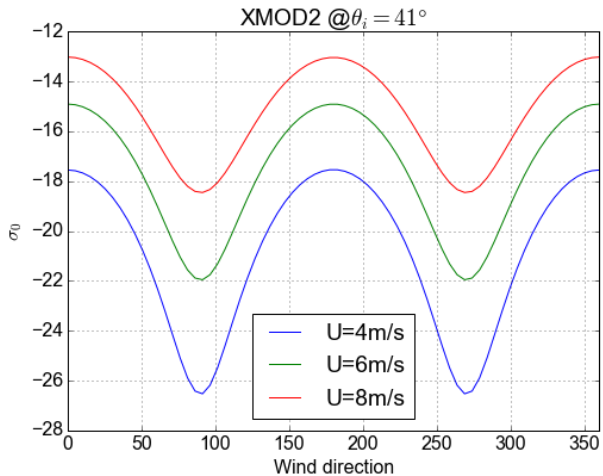
VV



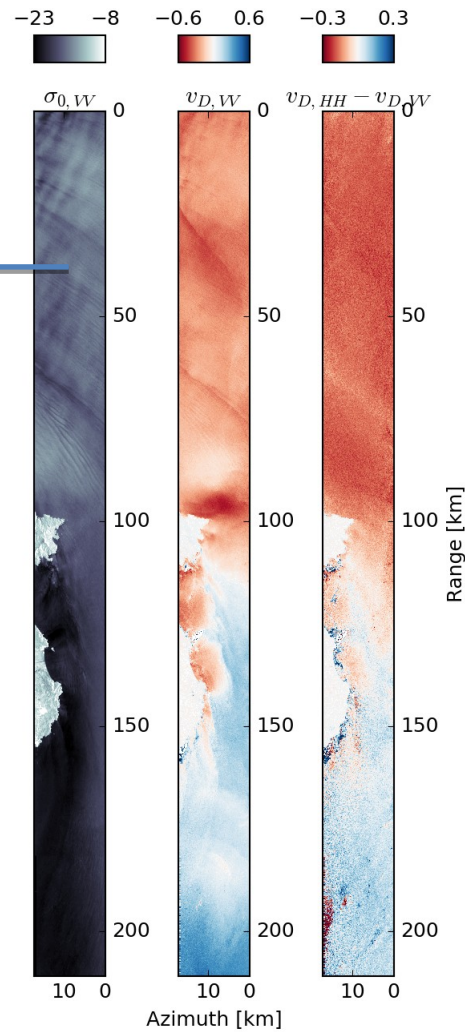
HH

# Doppler (radial) velocities

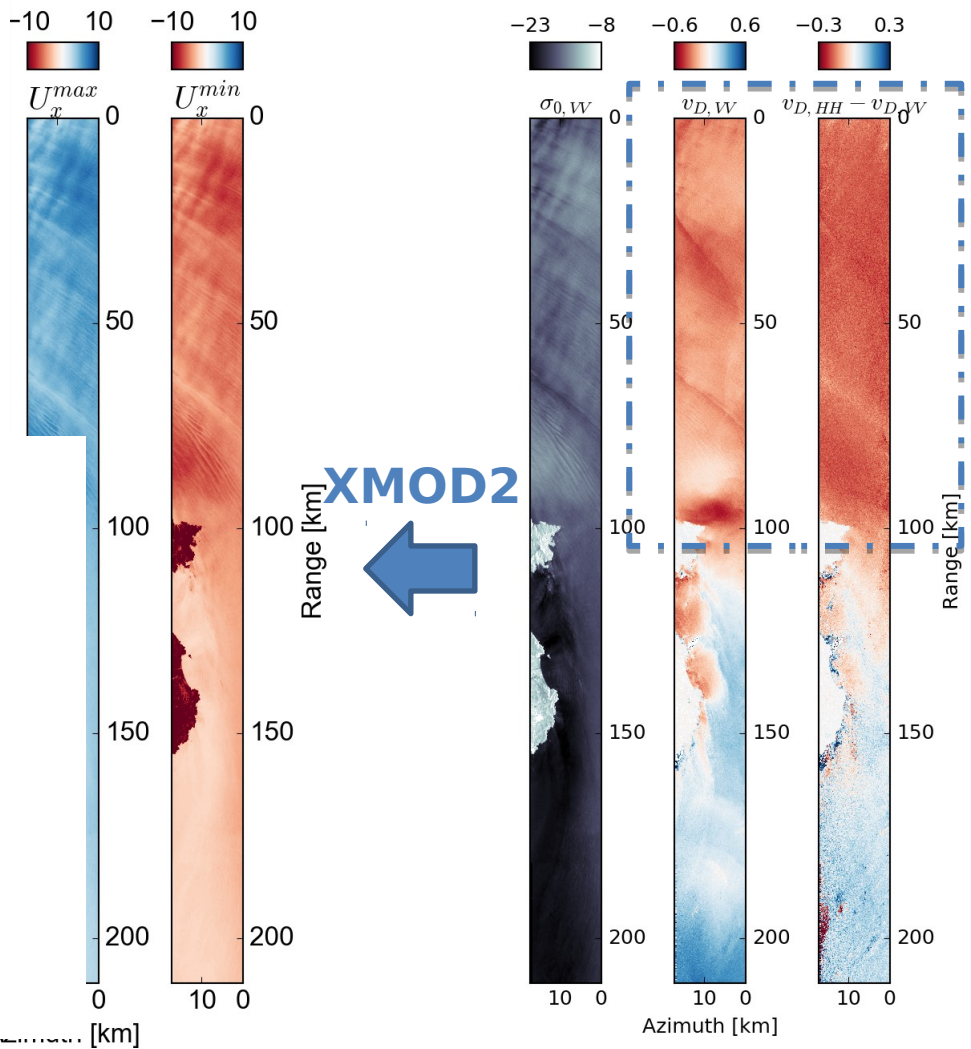
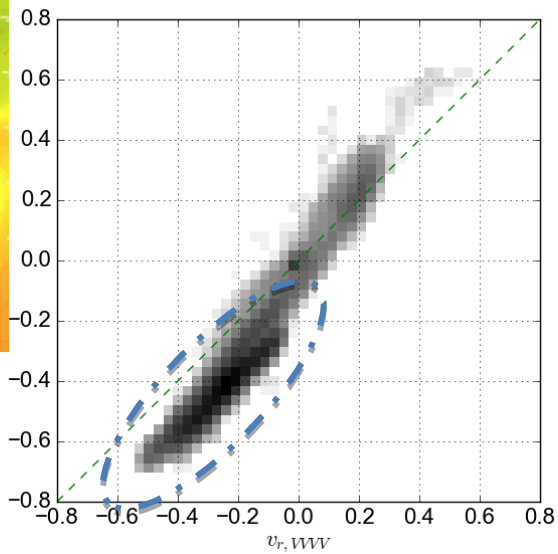
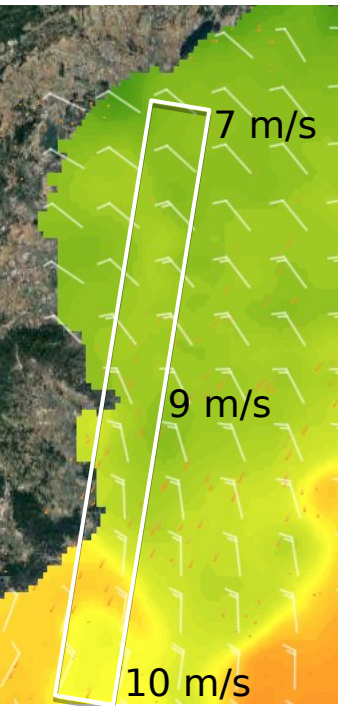
30th August -  $\theta_i = 41^\circ$



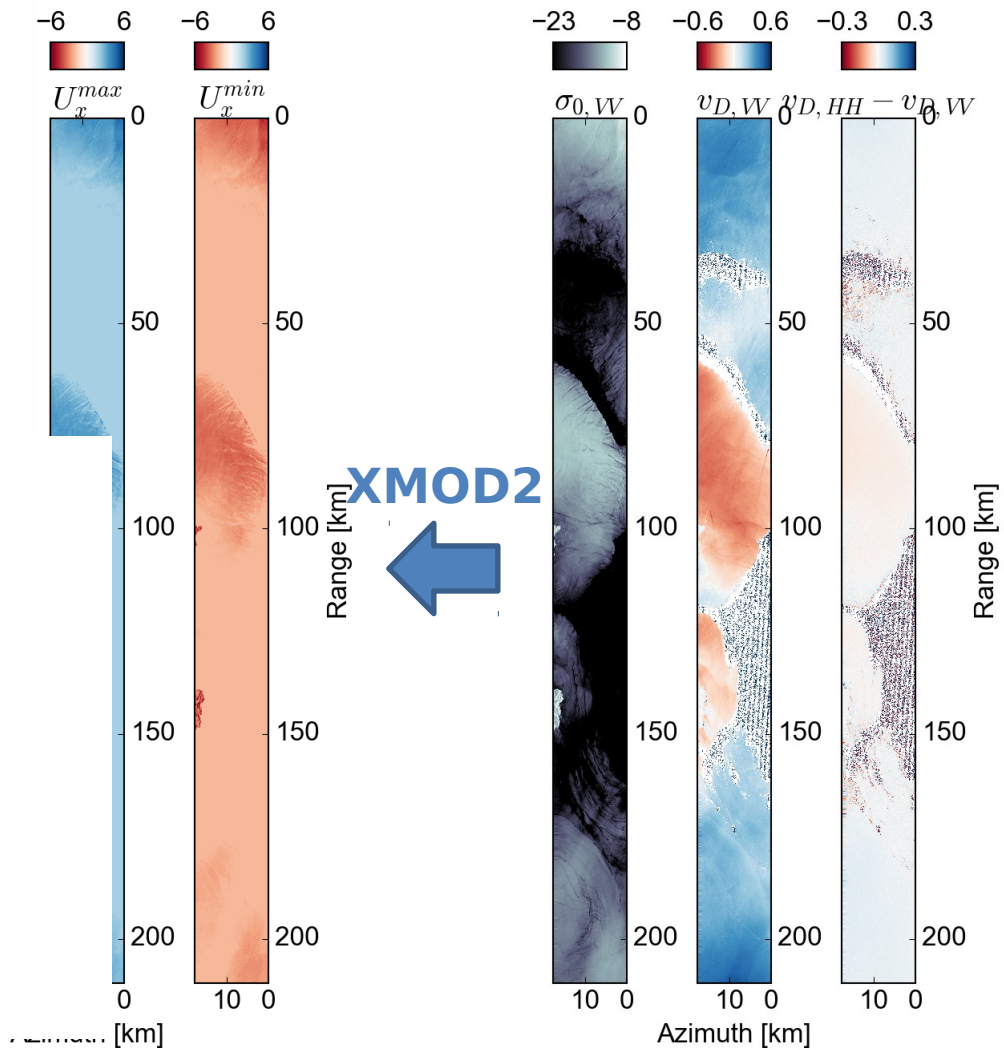
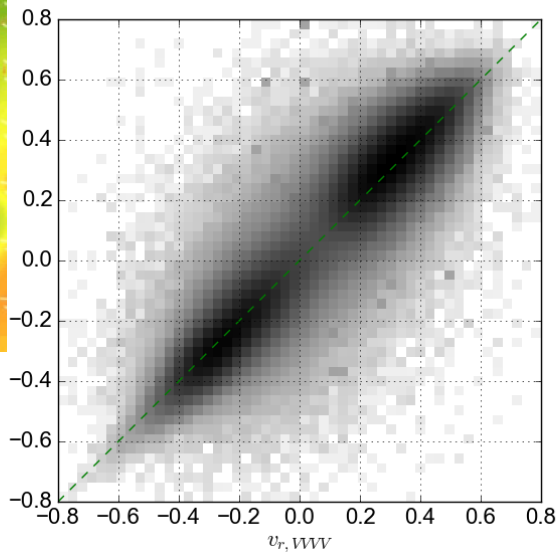
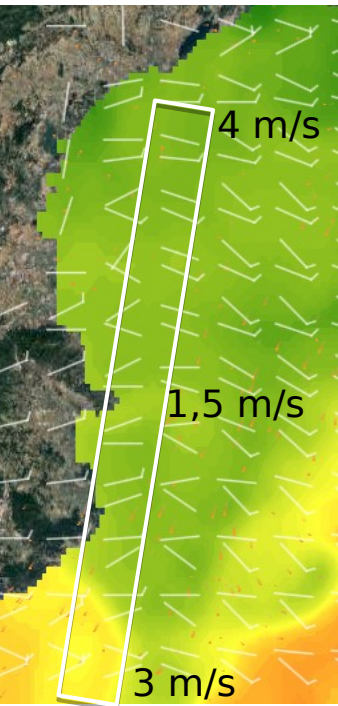
$$U_x = U \cdot \cos \alpha$$



30<sup>th</sup> August -  $\theta_i = 41^\circ$

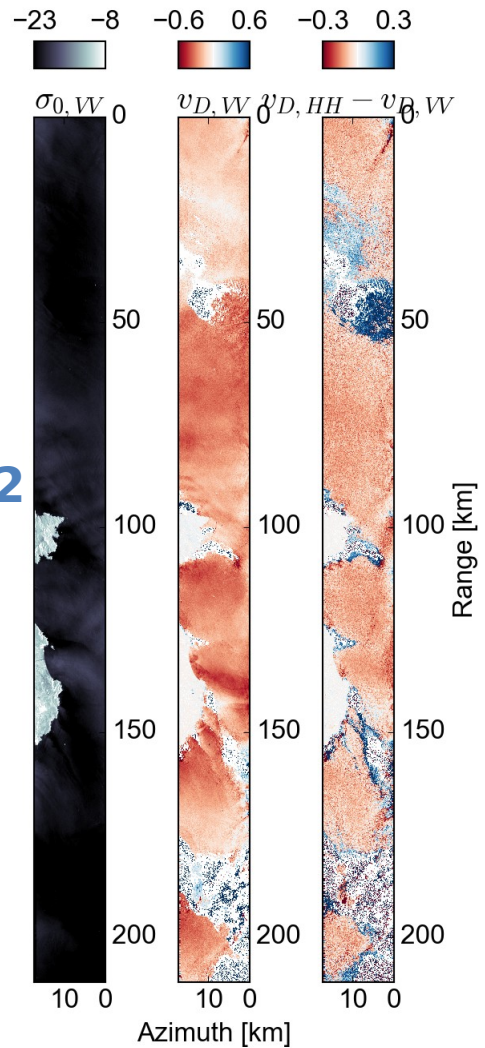
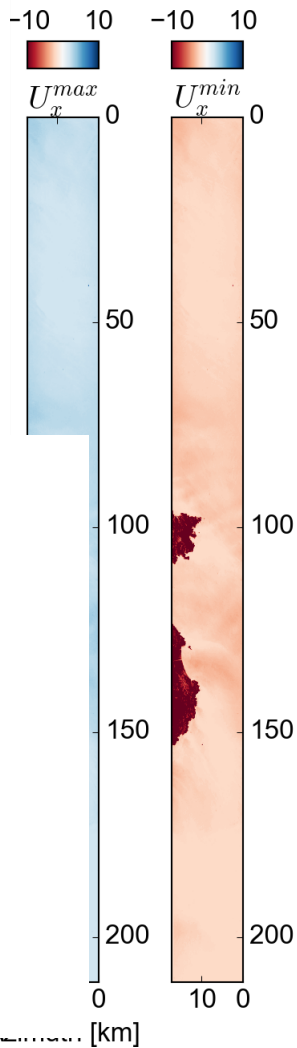
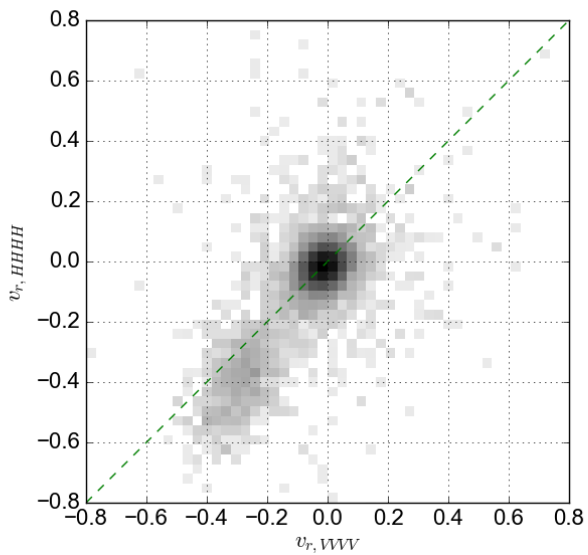
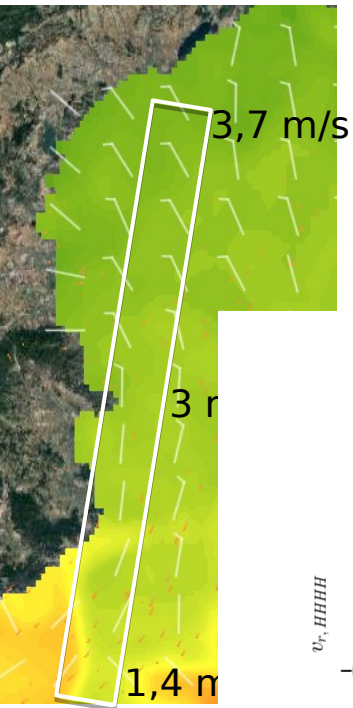


4<sup>th</sup> September --  $\theta_i = 26^\circ$

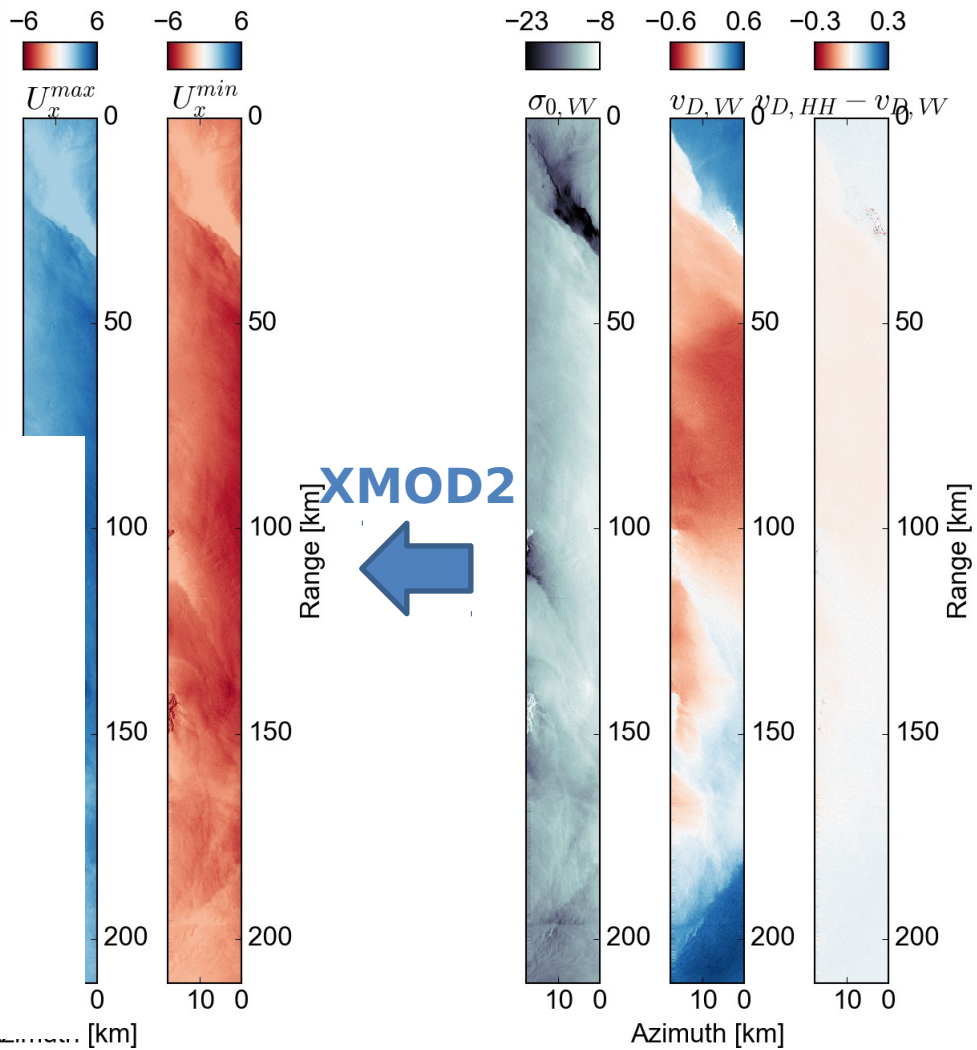
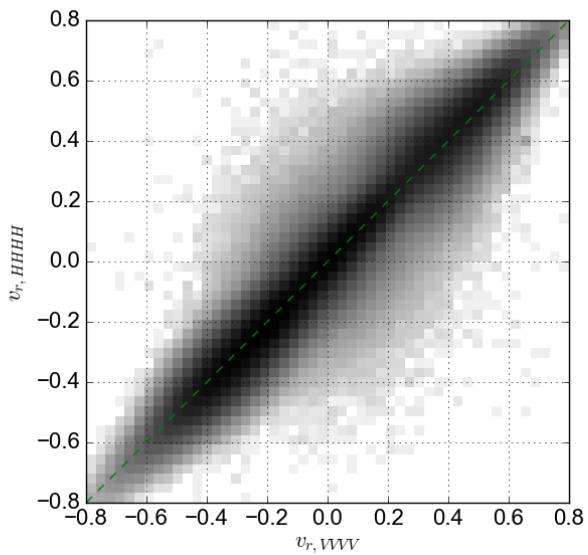
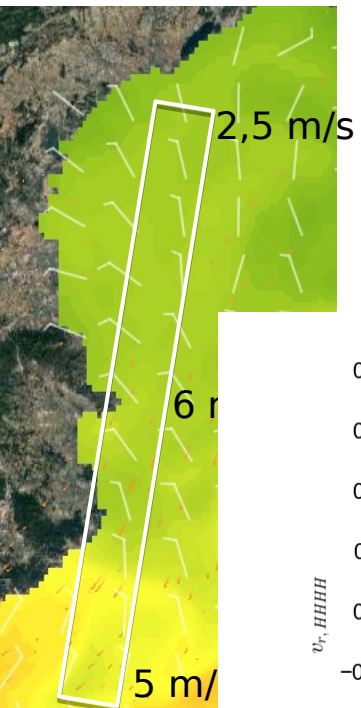




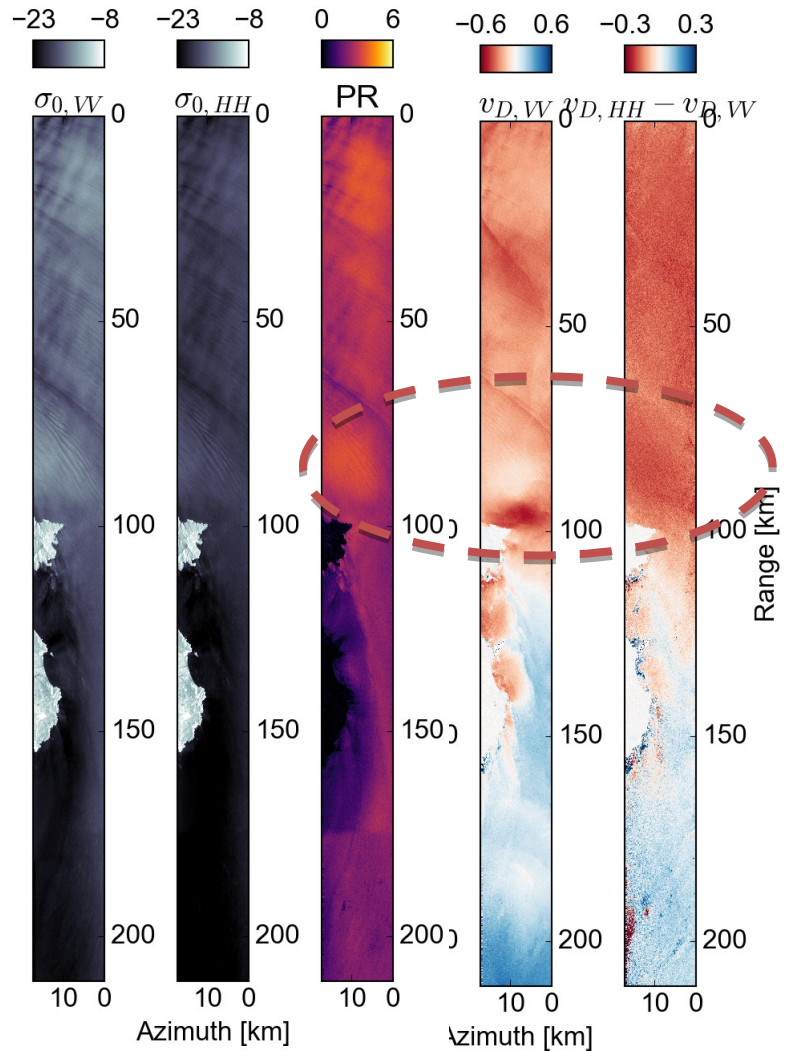
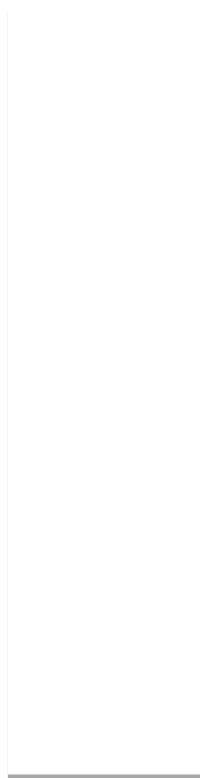
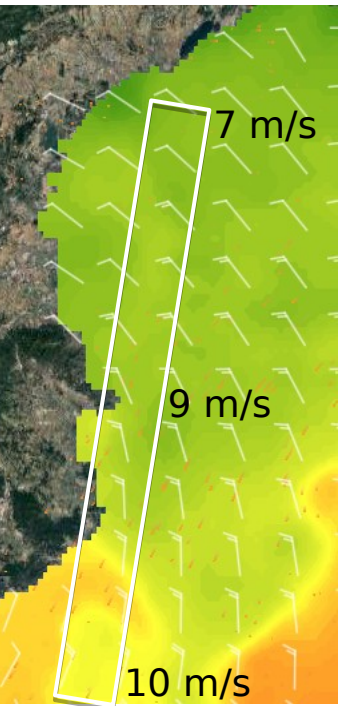
10<sup>th</sup> September --  $\theta_i = 41^\circ$



15<sup>th</sup> September --  $\theta_i = 26^\circ$



30<sup>th</sup> August -  $\theta_i = 41^\circ$



# TSC retrieval

Assumption:

$$\sigma_{0,HH} \approx \sigma_s$$

Resulting model:

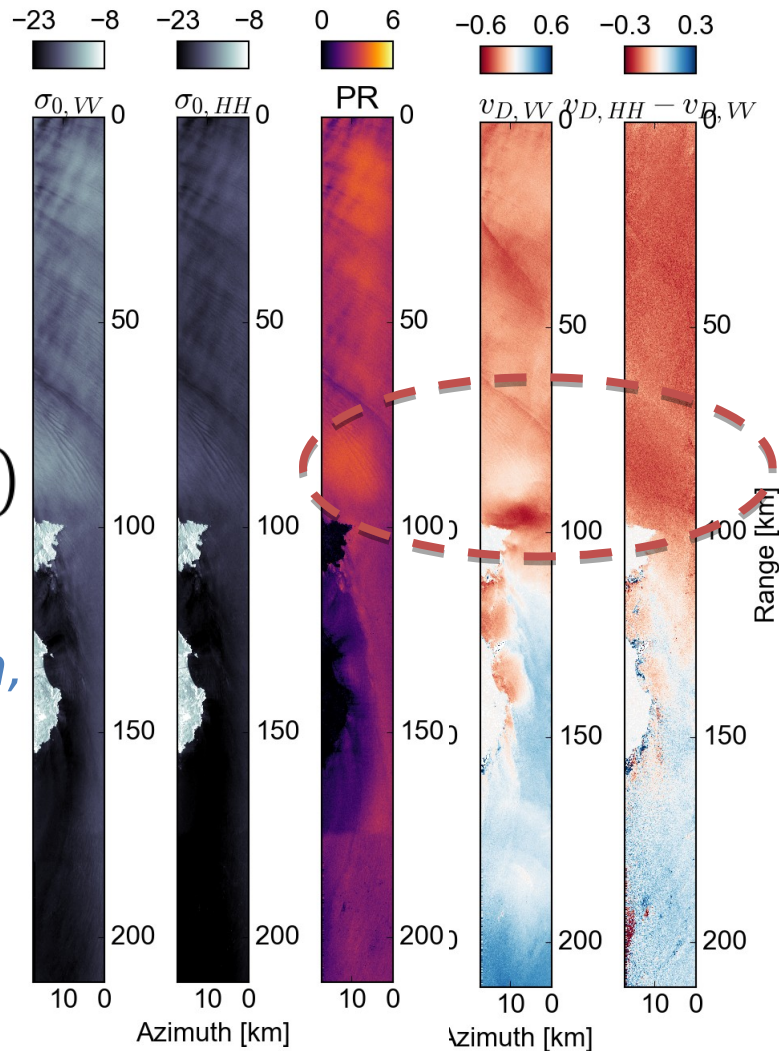
$$v_{wb,HH} = \frac{PR}{PR - 1} \cdot \frac{K_s}{K_s - 1} (v_{D,HH} - v_{D,VV})$$

*Estimated from data,*

Retrieval (TSC component):  $1.12 (r=0.78)$

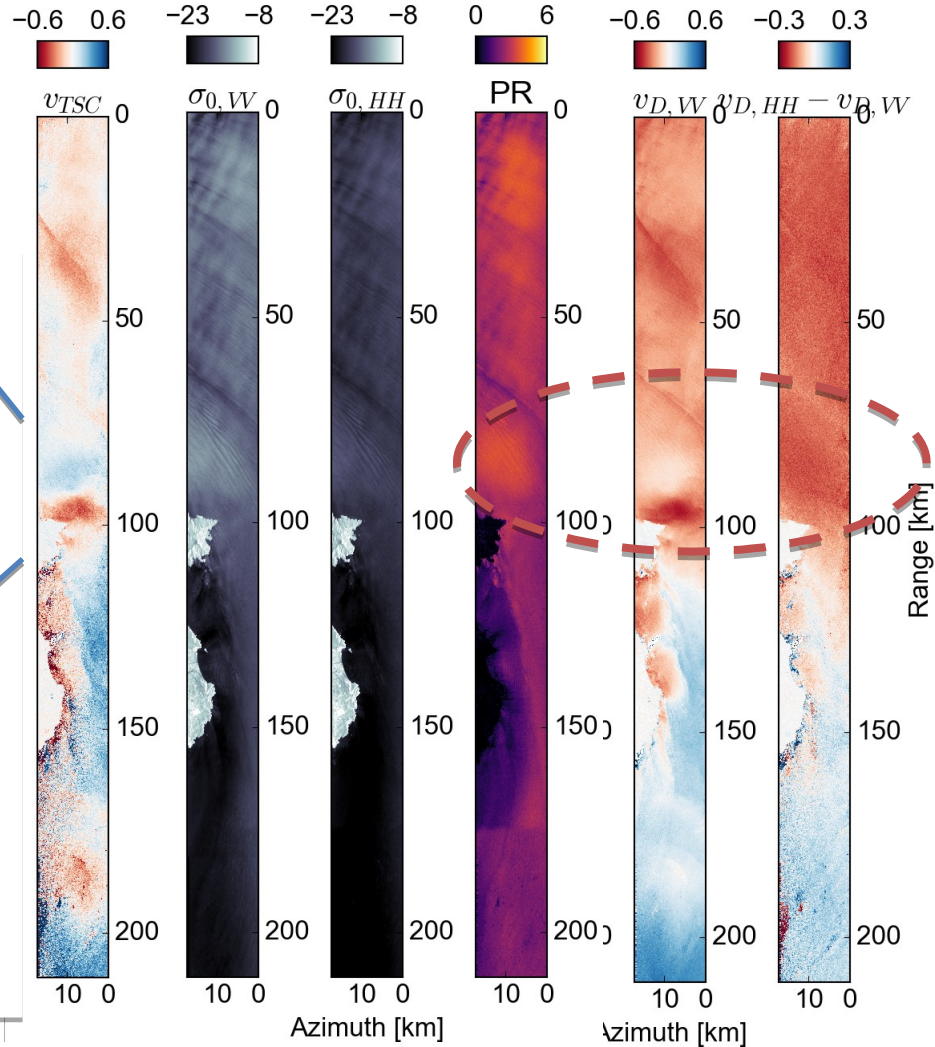
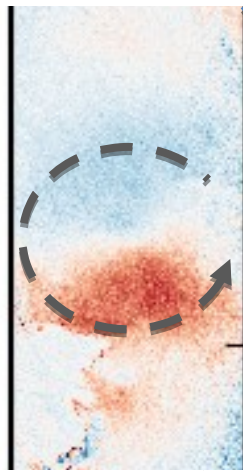
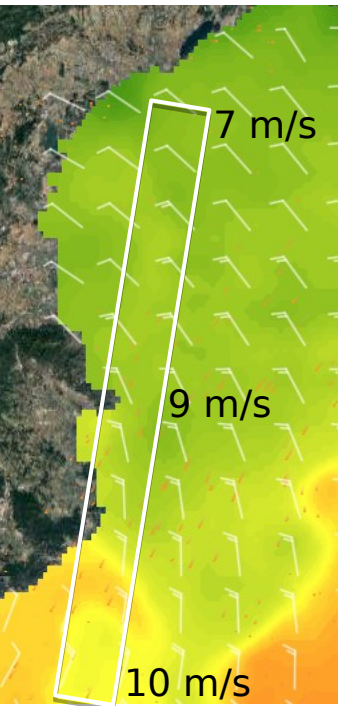
Retrieval (TSC component):

$$v_{TSC} = \frac{v_{D,HH} - \hat{v}_{wb,HH}}{\sin \theta_{inc}}$$





30<sup>th</sup> August -  $\theta_i = 41^\circ$



# Outlook

- ~~Seems to be good proxy of wave-bias~~  
Seems to be good proxy of wave-bias
- Some assumptions need to be revised:
  - e.g.  $\sigma_{0\text{RH}} \approx \sigma \leftarrow$  Questionable, certainly at lower incident angles
  - Deal with differences in *Bragg Doppler* at different polarizations
  - Deal with differences in *Bragg Doppler* at different polarizations
- We need to analyze much more data, and have some validation.